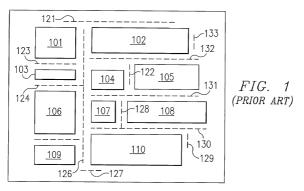
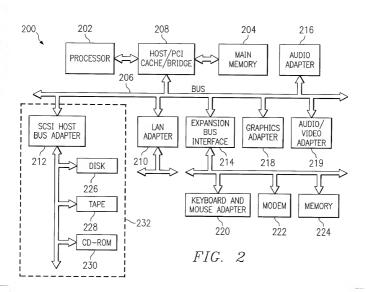
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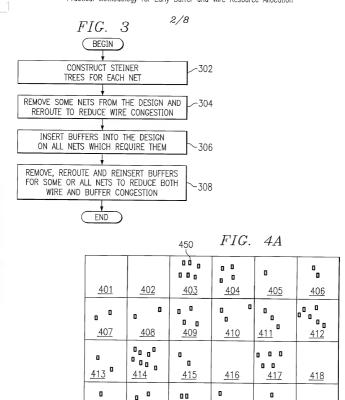
Practical Methodology for Early Buffer and Wire Resource Allocation







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<u>420</u>

<u>425</u>

<u>434</u>

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FIG. 4B 3/8					
0	0	6	4	1	2
<u>401</u>	<u>402</u>	<u>403</u>	<u>404</u>	<u>405</u>	<u>406</u>
2	2	4	3	3	6
<u>407</u>	<u>408</u>	<u>409</u>	<u>410</u>	<u>411</u>	<u>412</u>
2	8	2	0	5	0
<u>413</u>	<u>414</u>	<u>415</u>	<u>416</u>	<u>417</u>	<u>418</u>
2	2	3	3	2	0
<u>419</u>	<u>420</u>	<u>421</u>	<u>422</u>	<u>423</u>	<u>424</u>
0	0	1	0	0	1
<u>425</u>	<u>426</u>	<u>427</u>	<u>428</u>	<u>429</u>	<u>430</u>
0	0	1	2	1	0
431	<u>432</u>	<u>433</u>	<u>434</u>	<u>435</u>	<u>436</u>

FIG. 5

	502		50	<u>)3</u>	<u>5</u> 1	<u>)4</u>	
<u>501</u>	521	53	5 <mark>1</mark> 30	_) 522	<u>505</u>
523							524
<u>506</u>	<u>507</u>	<u>5</u>	<u>08</u>		<u>509</u>		<u>510</u>
	527					525	
<u>511</u>	<u>512</u>	<u>5</u>	<u>13</u>		<u>5</u>	ر 1 <u>4</u>	<u>515</u>
			\int	526			
<u>516</u>	<u>517</u>		<u>51</u>	18	<u>5</u>	19	<u>520</u>



1. SET $c_t f j j = 0$ FOR $t \le j < L_j$ AND SINK t. SET v = t

2. WHILE v≠s DO

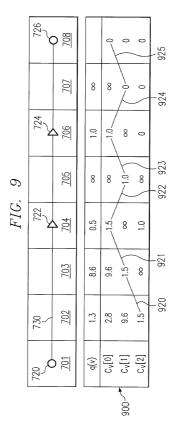
FOR j=1 to L_j-1 DO SET $C_par(\nu_j)[ij]=C_\nu [j-1]$ SET $C_par(\nu_j)[0j]=q(par(\nu_j)+min\{C_\nu[jj]\|0\le j< L_j\}$ SET $\nu=par(\nu_j)$

SEL V=par(V) 3. LET v BE SUCH THAT par(v)=s. RETURN $min\{C_v[j]|\|0\le j<\iota_j\}$

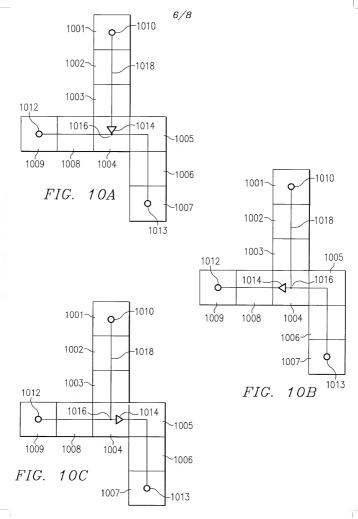
FIG. 7

720	730		Z ⁷²²		Z ⁷²⁴		726
) [S	702	703	70/	705	200	707) ⁸
B(v)	∞	5	12	3	5	0	
(v)d	2	4	2	23	0	0	
(q)d	2.5	3.6	2	0.8	4	5	
(v)p	1.3	8.6	0.5	8	1.0	8	

604	606	809
FIG. 604	0 909	800



 $\begin{array}{c} \text{AUS920010118US1} \\ \text{Alpert et al.} \\ \text{Practical Methodology for Early Buffer and Wire Resource Allocation} \end{array}$



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FIG. 11

- 1. PICK AN UNVISITED NODE ν SUCH THAT ALL DESCENDANTS OF ν HAVE BEEN VISITED WHILE $\nu \neq s$ DO
- 2. IF v IS A SINK THEN $SET \ C_v[j] = 0 \ FOR \ 1 \le j < L_i$
- 3. IF v HAS ONE CHILD I(v) THEN FOR j=1 TO $L_{j}-1$ DO SET $C_{V}[j]=C_{|V|}[j-1]$ SET $C_{V}[0]=q(v)+min\{C_{|V|}[j]\|0\leq j< L_{j}\}$
- 4. IF v HAS TWO CHILDREN I(v) AND I(v) THEN
- 4.1 FOR j=2 TO $L_{j}=1$ DO SET $C_{V}[j] = min\{C_{I(V)}[j_{j}] + C_{r(V)}[j_{r}] \parallel j_{j} + j_{r} + 2 = j\}$
- 4.2 SET $C_V[0] = q(v) + min\{C_{|(v)}[j_l] + C_{r(v)}[j_r] || j_l + j_r + 2 \le L_i\}$
- 4.3 SET $C_V[1] = \infty$
- 4.4 FOR j=1 TO L_j-1 DO SET $C_V[j] = min\{C_V[j], q(v) + C_{I(V)}[j-1], q(v) + C_{I(V)}[j-1]\}$
 - MARK ν AS VISITED
 PICK AN UNVISITED NODE ν SUCH THAT ALL DESCENDANTS OF ν HAVE BEEN VISITED
 - 6. RETURN $\min\{C_S[j] \mid \mid 0 \le j < L_j\}$.



